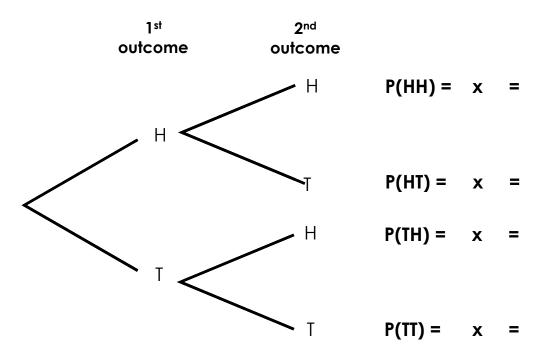
<u>Probability – Tree Diagrams.</u>

1) Use this tree diagram to show the possible outcomes if you flip a coin twice.



- 2) You roll a dice twice. The dice is numbered 1 to 6.
- a) Draw a tree diagram to help calculate the probability you will roll two even numbers.

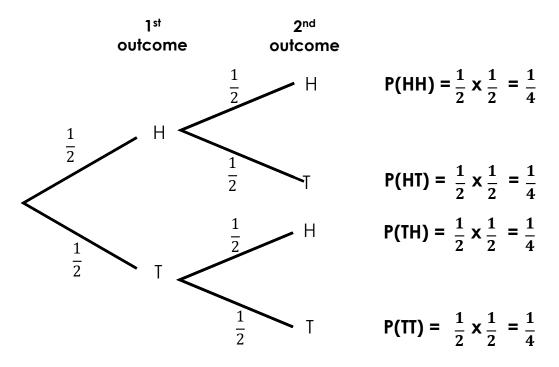
b) Calculate the probability you will roll one even and one odd number.

<u>Nan</u>	<u>ne</u> :	<u>Date:</u>
-	You have a bag containing 6 red and 4 blue counters. What is the probability you will pick:	
	a red counter?	
the	a blue counter? You pick a counter from the bag, make a r n replace it. You then pick a second counte gram to show all the possible outcomes.	
c) What is the probability you will pick:		
	two red counters?	
	two blue counters?	
	one red and one blue counter?	
		•••••

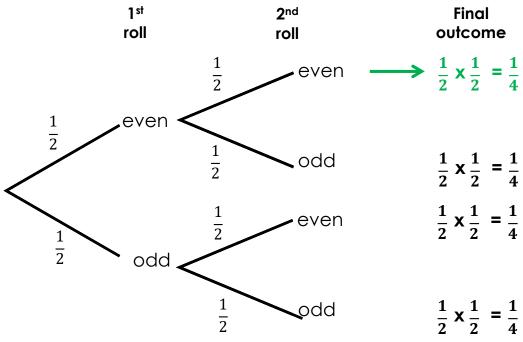
<u>Nam</u>	<u>ne</u> :	<u>Date:</u>
4)	You have the same bag containing 6 red c	and 4 blue counters.
a) This time you pick a counter from the bag, make a note of its colour but don't replace it. You then pick a second counter. Draw a tree diagram to show all the possible outcomes.		
D)	What is the probability you will pick: two red counters?	
	two blue counters?	
		•••••
	one red and one blue counter?	
		•••••

<u>Probability – Tree Diagrams. (Answers)</u>

1) Use a tree diagram to show the possible outcomes if you flip a coin twice.



- 2) You roll a dice twice. The dice is numbered 1 to 6.
- a) Draw a tree diagram to help calculate the probability you will roll two even numbers.



b) Calculate the probability you will roll one even and one odd number.

P(even then odd) + P(odd then even) = $\frac{1}{4}$ + $\frac{1}{4}$ = $\frac{1}{2}$

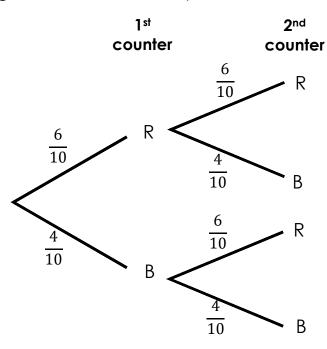
Answers.

- 1) You have a bag containing 6 red and 4 blue counters.
- a) What is the probability you will pick:

a red counter?
$$\frac{6}{10}$$

a blue counter?
$$\frac{4}{10}$$

b) You pick a counter from the bag, make a note of its colour and then replace it. You then pick a second counter. Draw a tree diagram to show all the possible outcomes.



$$P(RR) = \frac{6}{10} \times \frac{6}{10} = \frac{36}{100}$$

$$P(RB) = \frac{6}{10} \times \frac{4}{10} = \frac{24}{100}$$

$$P(BR) = \frac{4}{10}x \frac{6}{10} = \frac{24}{100}$$

P(BB) =
$$\frac{4}{10}$$
x $\frac{4}{10}$ = $\frac{16}{100}$

c) What is the probability you will pick:

two red counters? $\frac{36}{100}$

.....

two blue counters? $\frac{16}{100}$

.....

one red and one blue counter? $\frac{24}{100} + \frac{24}{100} = \frac{48}{100}$

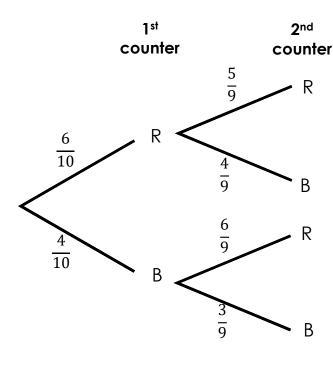
.....

<u>Name</u>:

<u>Date:</u>

Answers.

- 4) You have the same bag containing 6 red and 4 blue counters.
- a) This time you pick a counter from the bag, make a note of its colour but **don't** replace it. You then pick a second counter. Draw a tree diagram to show all the possible outcomes.



$$P(RR) = \frac{6}{10} \times \frac{5}{9} = \frac{30}{90}$$

$$P(RB) = \frac{6}{10} \times \frac{4}{9} = \frac{24}{90}$$

$$P(BR) = \frac{4}{10}x \frac{6}{9} = \frac{24}{90}$$

P(BB) =
$$\frac{4}{10}$$
x $\frac{3}{9}$ = $\frac{12}{90}$

b) What is the probability you will pick:

two red counters? $\frac{30}{90}$

.....

two blue counters? $\frac{12}{90}$

.....

one red and one blue counter? $\frac{24}{90} + \frac{24}{90} = \frac{48}{90}$

.....